

# From Physical to Human Capital Accumulation: Inequality in the Process of Development

Oded Galor and Omer Moav

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- Captures the changing role of inequality in the growth process
- Unifies the Classical and the Modern Paradigms
- Provides an intertemporal reconciliation between conflicting viewpoints about the effect of inequality on economic growth
- Generates novel testable predictions that may resolve empirical disputes about the relationship between inequality and growth

# The Classical Approach



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  - ⇒ enhances the development process

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- Later stages of development: the return to human capital increases due to capital-skill complementarity and human capital became the prime engine of growth  $\implies$ 
  - Inequality, due to credit constraints, is harmful for growth

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  - Physical capital accumulation may benefit from the concentration of wealth among individuals whose marginal propensity to save is larger

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⇒ Inequality is conducive for growth



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$\Rightarrow$  Inequality is harmful for growth

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- A negative effect of inequality on growth underlined by the **Modern Approach** reflects later stages of development when human capital accumulation becomes a prime engine of growth, and credit constraints are still binding

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- The level of HC: Outcome of education decisions, subject to borrowing constraint



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$k_t \equiv K_t/H_t$

## Factor Prices

Inverse demand for factors of production at time  $t$

$$r_t = f'(k_t) \equiv r(k_t)$$

$$w_t = f(k_t) - f'(k_t)k_t \equiv w(k_t)$$

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  - Saving for offspring's future wealth

Individual  $i$  of Generation  $t$ : Wealth

Second period wealth:

$$l_{t+1}^i = w_{t+1} h_{t+1}^i + x_{t+1}^i$$

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$b_{t+1}^i$  – transfers to the offspring



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- Inheritance

$$x_{t+1}^i = s_t^i R_{t+1} = (b_t^i - e_t^i) R_{t+1}$$

## Individual $i$ of Generation $t$ : Human capital formation

Efficiency units of labor in period  $t + 1$

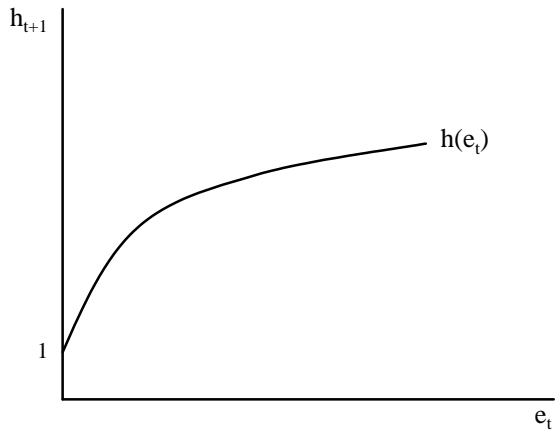
$$h_{t+1}^i = h(e_t^i)$$

Individual  $i$  of Generation  $t$ : Human capital formation

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$$h_{t+1}^i = h(e_t^i)$$

$e_t^i$  – expenditure on education

Individual  $i$  of Generation  $t$ : Human capital formation

Optimal Inv't in Education of Member  $i$  of Generation  $t$ 

In the absence of borrowing constraints:

$$e_t^i = \arg \max [w_{t+1} h(e_t^i) + (b_t^i - e_t^i) R_{t+1}]$$



Optimal Inv't in Education of Member  $i$  of Generation  $t$ 

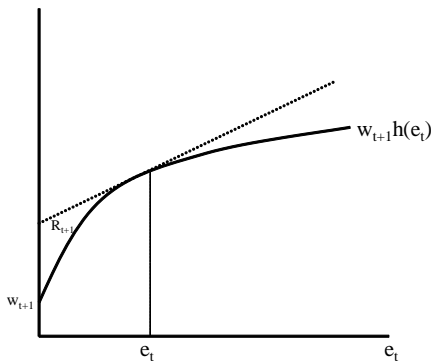
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$e_t$  is unique and identical across members of generation  $t$

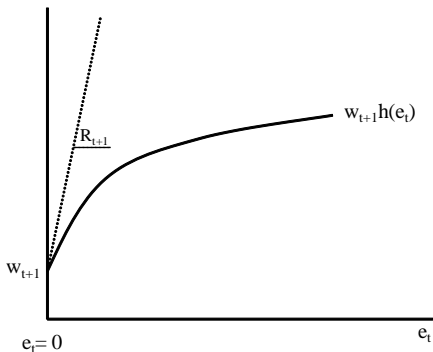
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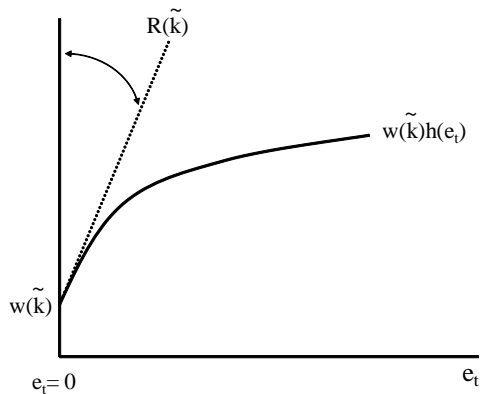
$$e_t > 0 \quad \text{if} \quad w_{t+1}h'(e_t) = R_{t+1}$$



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$$e_t = 0 \quad \text{if} \quad R_{t+1} > w_{t+1}h'(0)$$



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$$e_t = e(k_{t+1}) \begin{cases} = 0 & \text{if } k_{t+1} \leq \tilde{k} \\ > 0 & \text{if } k_{t+1} > \tilde{k} \end{cases}$$

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where

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Preferences and Transfers of Member  $i$  of Generation  $t$ 

- Preferences:

$$u_t^i = (1 - \beta) \log c_{t+1}^i + \beta \log(\bar{\theta} + b_{t+1}^i)$$

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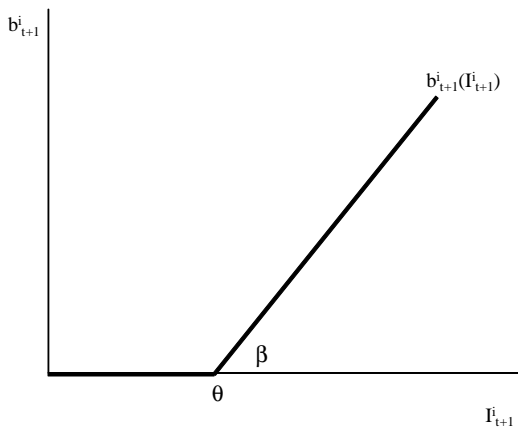
- Preferences:

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- Optimal transfer to offspring:

$$b_{t+1}^i = b(l_{t+1}^i) \equiv \begin{cases} \beta(l_{t+1}^i - \theta) & \text{if } l_{t+1}^i \geq \theta \\ 0 & \text{if } l_{t+1}^i \leq \theta \end{cases}$$

where  $\theta \equiv \bar{\theta}(1 - \beta) / \beta$

Optimal transfer of a member  $i$  of generation  $t$ 

Saving of Member  $i$  of Generation  $t$ 

$$s_t^i = \begin{cases} b_t^i & \text{if } k_{t+1} \leq \tilde{k} \\ b_t^i - e_t^i & \text{if } k_{t+1} > \tilde{k} \end{cases}$$

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Saving rate  $s_{t+1}^i / l_{t+1}^i$  is increasing in  $l_{t+1}^i$

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- Capitalists (R)
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  - Equally own the *initial* capital stock
- Workers (P)
  - Fraction  $1 - \lambda$  of all adult individuals
  - No ownership over the *initial* capital stock

## Factor Accumulation

$$\begin{aligned}K_{t+1} &= \int_0^1 s_t^i di = \lambda(b_t^R - e_t^R) + (1 - \lambda)(b_t^P - e_t^P) \\ &= K(b_t^R, b_t^P, k_{t+1})\end{aligned}$$

$$\begin{aligned}H_{t+1} &= \int_0^1 h_{t+1}^i di = \lambda h(e_t^R) + (1 - \lambda)h(e_t^P) \\ &= H(b_t^R, b_t^P, k_{t+1})\end{aligned}$$

# The Capital-Labor Ratio

$$k_{t+1} = \frac{K_{t+1}}{H_{t+1}} = \frac{K(b_t^R, b_t^P, k_{t+1})}{H(b_t^R, b_t^P, k_{t+1})}$$

$\implies$

$$k_{t+1} = \kappa(b_t^R, b_t^P)$$

The Evolution of Transfers within group  $i = R, P$ 

$$b_{t+1}^i = \max\{\beta[w_{t+1}h(e_t^i) + (b_t^i - e_t^i)R_{t+1} - \theta], 0\}$$

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There exists  $\hat{k}$ , a critical level of  $k$  below which individuals who do not receive parental transfers (i.e.,  $b_t^i = e_t^i = 0$ ) do not transfer income to their offspring:  
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$$b_{t+1}^i = \phi(0, k_{t+1}) \begin{cases} = 0 & \text{if } k_{t+1} \leq \widehat{k} \\ > 0 & \text{if } k_{t+1} > \widehat{k} \end{cases}$$



The Evolution of Transfers within Group  $i = R, P$ 

$$\begin{aligned} b_{t+1}^i &= \phi(b_t^i, k_{t+1}) = \phi(b_t^i, \kappa(b_t^R, b_t^P)) \\ &\equiv \psi^i(b_t^R, b_t^P) \end{aligned}$$

## The dynamical system

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  - Stage I of Regime II ( $\tilde{K} < K \leq \hat{K}$ )

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  - Stage III of Regime II ( $K > K^*$ )



## Regime I: Physical Capital Accumulation

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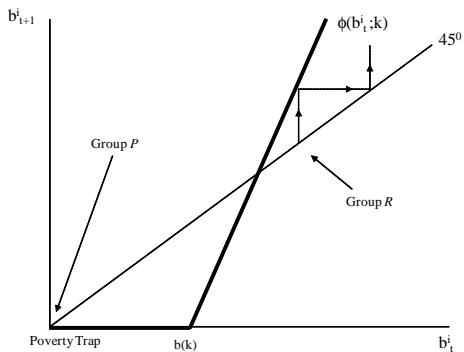
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## The Conditional Dynamical System: Regime I





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- HC is the engine of growth:  $\rho^{HC} \geq \rho^K$

## Stage I of Regime II: HC Accumulation by group R

Stage I of Regime II ( $\tilde{K} < K \leq \hat{K}$ )



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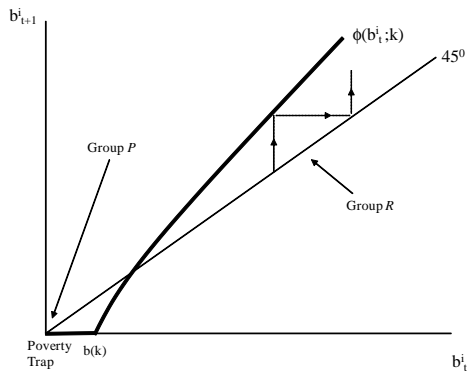
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  - Expenditure on education  $\uparrow$
- Wages  $\uparrow$
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## The Conditional Dynamical System: Stage I of Regime II



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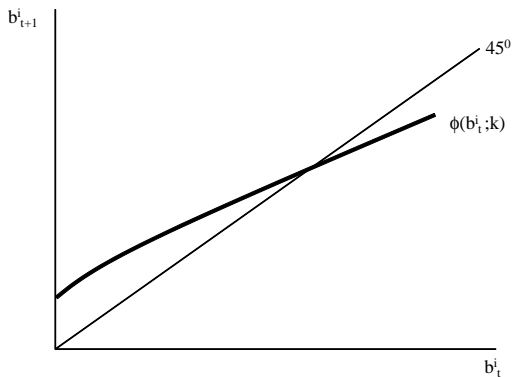
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  - Start to acquire education
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  - Invest optimally in human and physical capital

## Conditional Dynamical System: Stage II-III of Regime II





## Stage II of Regime II: Effect of Inequality

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  - A transfer of wealth from group  $R$  to group  $P$  allows (due to credit constraint) a more efficient allocation of aggregate investment between HC and PC

## Stage III of Regime II : Credit Constraints are not Binding

- All individuals are not credit constrained:  $R^{HC} = R^K$

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- All individuals are not credit constrained:  $R^{HC} = R^K$
- Inequality has no effect on the process of development

# The changing Role of Inequality in the Development Process

0----- $\tilde{k}$ -----

**Regime I**

$$\rho^K > \rho^H$$

K only engine

Inequality (+)

**Regime II**

$$\rho^K \leq \rho^H$$

HC main engine

Inequality (-)

## Effect of Inequality in Regime II

$$\tilde{k} \text{-----} \hat{k} \text{-----} k^* \text{-----}$$

**Stage I**

$$\rho^K < \rho_P^H$$

$$\rho^K = \rho_R^H$$

2 engines

**Stage II**

$$\rho^K < \rho_P^H$$

$$\rho^K = \rho_R^H$$

HC main engine

Inequality (-)

**Stage III**

$$\rho^K = \rho^H$$

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# Testable Implications

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### The CMI approach

- The effect on inequality depends on the country's level of income. Inequality is beneficial for poor economies and harmful for rich ones



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### The Unified Approach

- The effect of inequality on growth depends on the relative return to human and physical capital. The higher is the relative return to human capital the more harmful is inequality for economic growth

# Implications for DC and LDCS

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## Implications for DC and LDCS

- The replacement of physical capital accumulation by human capital accumulation as a prime engine of economic growth has changed the impact of inequality on the process of development
  - Inequality stimulates economic growth in stages of development in which physical capital accumulation is the prime engine of growth
  - Inequality is harmful for economic growth in stages of development in which human capital accumulation is the prime engine of economic growth
- Int'l capital inflow to LDCs and the adoption of skilled-biased technologies may place economies directly in the second stage in which inequality is harmful

# References

## References

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